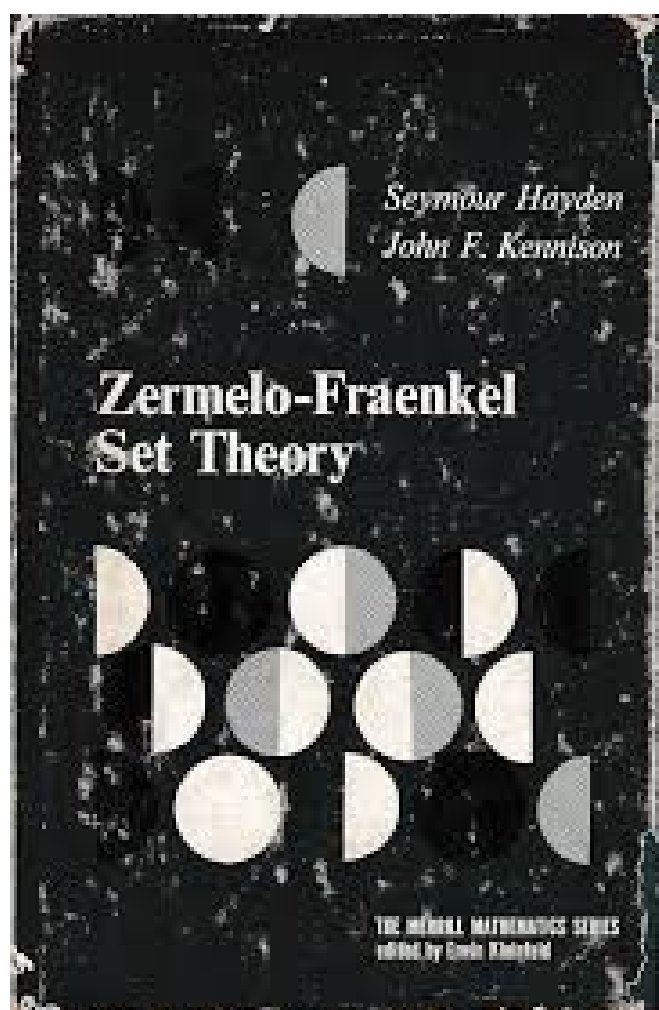


ZFC Set Theory



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Introduction

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I argue it is just line a
number line converted
to sets which become
sets and collections of
numbers as sets which
have different levels of
set progress called then

with surreal sets and
finite sets – a
diagonalized complex
set theory which
appears as formulae
and symbolic structure.

Introduction

In the aesthetics of the
cover image above then
it means a certain
joining of structure and

infinities which then is
spliced together like a
union between set
elements $a \cup b \cup c$
which is also $a \cup b$ and a
 $\cup c$ and $b \cup c$.

It means like an
alternating series of
numbers, like a
staircase which is
higher and lower.

Such things are ZFC
compatible – when it
has the lesser as part of

a higher – when even the finite sets are part of infinite sets.

Now the axiom of structure like this in independence is called (generic sets) and dependence and choice is called Von Neuman fragment sets and then joining of the set patterns is called surreal numbers and higher infinities.

So now ordinal and cardinal progress is simply alternating and choice and extended and line like developments of number series in complex articulation as –

A – c....choice, dependence and independence

It just means the process is like this – like a structure or in music - form which becomes a formalism. Like a simple line progress of higher and higher number lines and below them and around it a few surreal number lines. And altogether forming, joining and disjoining into choice and independence.

Even fragment axiom exists.

I. Structure with Axiom of Choice and Independence

First the axiom which is based on Zermelo-Fraenkel set theory, it is an axiom of structure, also called, Zermelo axiom which is bound to Fraenkel axiom and is together ZFC axiomatic system which though is

composed by Sirohi and Anindya Bhattacharya even Paul Cohen as a axiomatic system which means in fact Cantor and Godel and even Bourbaki and Tarski are just the regulation of ZFC which means basic set theory called ZFC.

II. Zermelo-Fraenkel in advanced mathematics

In fact then the process of ZFC is different from

ZFC set theory as structure and axiomatics because it is only the elementary operation of belonging and union taken to surjection which forms a long proof structure of diagonals and is simply the infinite ordinal without a full development of infinite ordinal progress, and so it means an elementary proof of ordinal with

one cardinal called a
power set of ordinality.

This then is Cantor – a
simple ordinal infinite,
which Godel lessens to
finite formalism which is
together ZFC set theory
– just the infinite and
finite structure together
for ordinal structure – it
is like arguing that
whole numbers, and odd
numbers are what is
being talked about with
the additional

infinitesimal calculus
involved in a full
diagonalized progress
towards just the odd
and even numbers
actually - so the least
number set is in fact the
set of finite full
formalism called
Hilbert.

It means finite and
finitist with finite and
infinite and then just
infinite progress is
basically the

diagonalized process of
ZFC structure which
means simple ZFC set
theory is proven as –

$A \cup B$, and $B \cup C$

Just this process is
being called Cantor and
Godel – it is as simple
then as numerical series
being introduced to this
as a formalism it means
–

Numerical series 1
belongs to higher
numerical series 2 and
this then is surjected
and lessened with the
finite series being
undecided propositions
towards surjection.

It just means then that
there is also finitism
which means a formal
system or formal order
which is then Hilbert –
the lesser than
surjectible which means

strictly finite series and formalism.

II. Zermelo-Fraenkel system and structure of independence and choice – Paul Cohen, Bhattacharaya and Sirohi – recent innovations

So in fact the process is now more complex by following ZFC full

formalism – it just
means

$A \cup B \cup C$ is now the
change to

C_i and C_{ii} and C_{iii}

Which though is also

A_i and B_i and C_i as part
of or belonging to C_i
and C_{ii} and C_{iii}

Now this means surreal
number proofs which is
as simple as –

Cantorian infinite,
Godelian finite towards
infinite and finitist
series shifted to pure
infinite progress and
further infinite progress
and further now with
lesser and lesser at
each infinite point
which then is

Lesser and Higher and
Higher as proven by the
three recent in though
now I mean for further
research – the process
of ZFC formalism which
means – this structure
goes to –

Structure and
Formalism in
independence and
choice formalism

It means the infinite
ordinal and limit ordinal

progress with lesser and higher based on Cantor-Gödel finite and first infinite then is to be shifted to formalism as in fact –

$A \cup B \cup C$ and C_i, C_{ii} and C_{iii}

As then formalism – which means

The process of structure as in fact extended and

independent and even
choice –

A – C_i

Such things.

B_i – C_{ii}

A – C_i – C_{ii} (formalism,
and choice and
independence)

It means now the proofs
are structured formally

– that in fact surreal groups and infinite series and number series in the generic number groups is finally spliced together or unionised easily.

To integrate Cantor-Godel and finite progress to the formal infinite progress and lesser surreal.

Like a Kabbalah where the lower process is

part of higher but in
complex assembling and
joining and disjoining
and systematic ways –
which is how Cantor
described the higher
infinite with his process.